



Turbulent energy dissipation in thin reconnecting current sheets

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Outline

- Reconnection & turbulence
 - Ion and electron heating
 - Non-thermal particle acceleration
 - Partition of energy
- Thin reconnecting current sheets:
 - quasi-parallel shock
 - Kelvin-Helmoltz vortexes
- Current/future spacecraft data relevant for turbulent reconnection studies
- Summary

Magnetic reconnection

- Violation of the frozen-in condition in thin boundaries (current sheets)

- Consequences:

- magnetic topology change (E_{\parallel})
- plasma transport across boundaries
- plasma acceleration (alfvenic jets)
- plasma heating
- supra-thermal particle acceleration

- Importance of scales (collisionless):

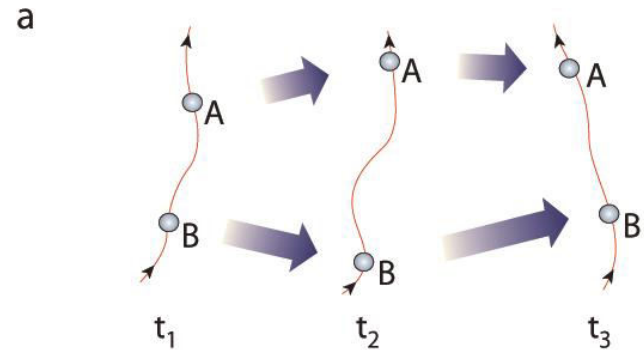
$$\mathbf{E} + \mathbf{u} \times \mathbf{B} = \frac{\mathbf{J}}{\sigma_*} + \frac{\mathbf{J} \times \mathbf{B}}{ne} - \frac{\nabla \cdot \mathbf{P}_e}{ne} + \frac{m_e}{ne^2} \frac{\partial \mathbf{J}}{\partial t}$$

MHD
 anomalous conductivity
 Hall
 electron pressure
 electron inertia

$$d_{\text{MHD}} (\gg \rho_i) \sim 10^3 \text{ km}$$

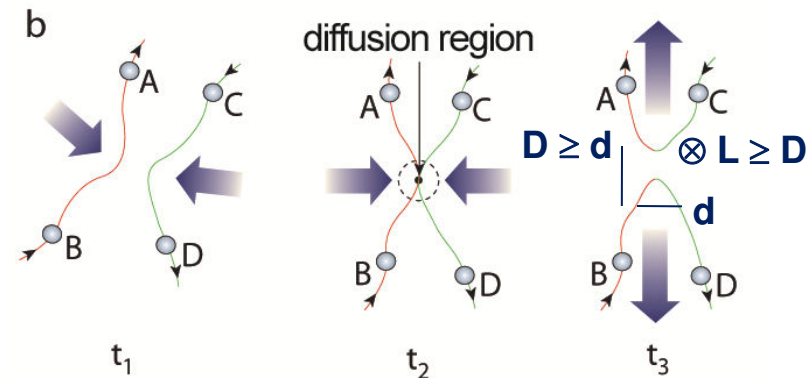
$$d_{\text{ion}} (\sim \rho_i) \sim 50 \text{ km}$$

$$d_{\text{electron}} (\sim \rho_e) \sim 1 \text{ km}$$



$$\mathbf{E}' = \mathbf{E} + \mathbf{u} \times \mathbf{B} = 0$$

$$E_{\parallel} = 0$$



$$\mathbf{E}' = \mathbf{E} + \mathbf{u} \times \mathbf{B} \neq 0$$

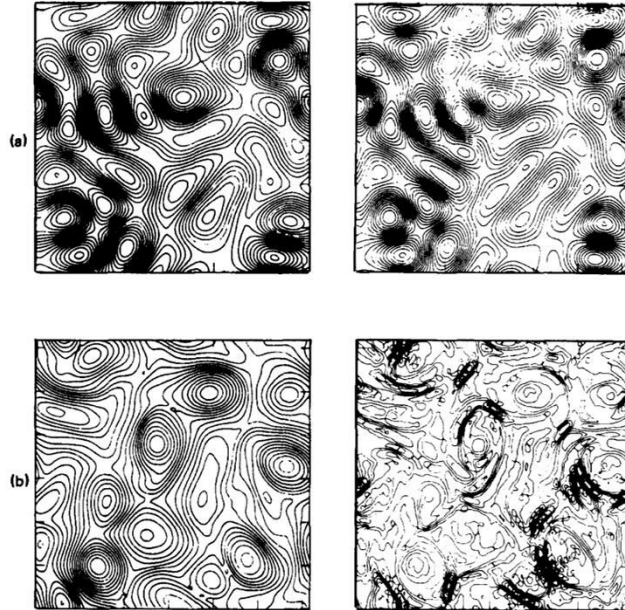
$$E_{\parallel} \neq 0$$

Reconnection in turbulent plasma

2D MHD simulation

Magnetic field lines

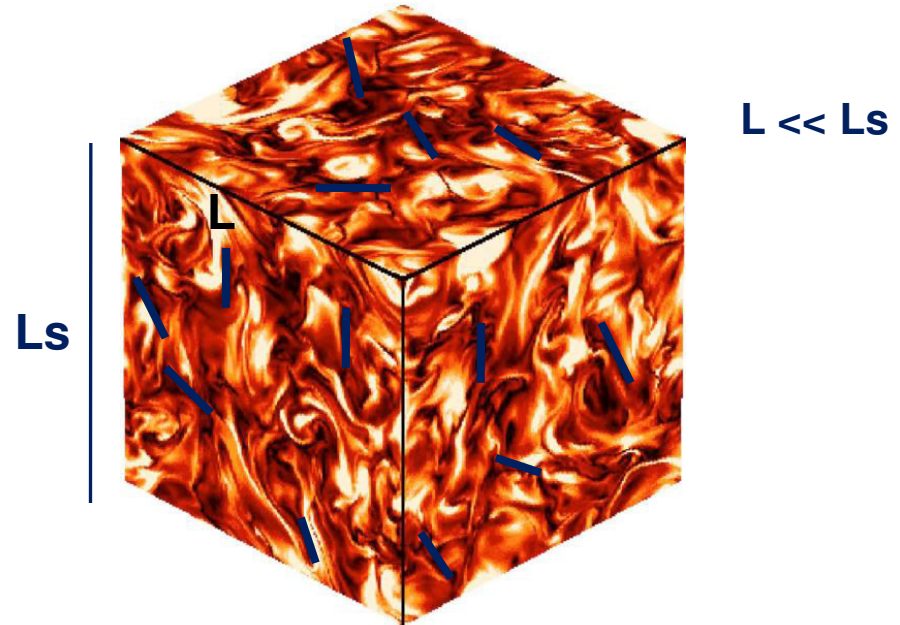
Current density



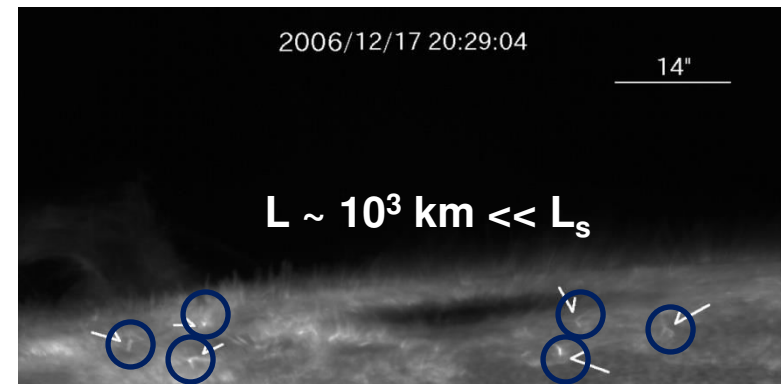
[Matthaeus & Lamkin, Phys. Fluids, 1986]

Many different simulations supports this scenario (MHD, Hall-MHD, PIC, Vlasov):
Servidio 2009, Servidio 2011,
Camporeale2011, Wan 2012, Karimabadi
2013, Haynes 2014, Valentini2014, Wan 2015

In situ data limited

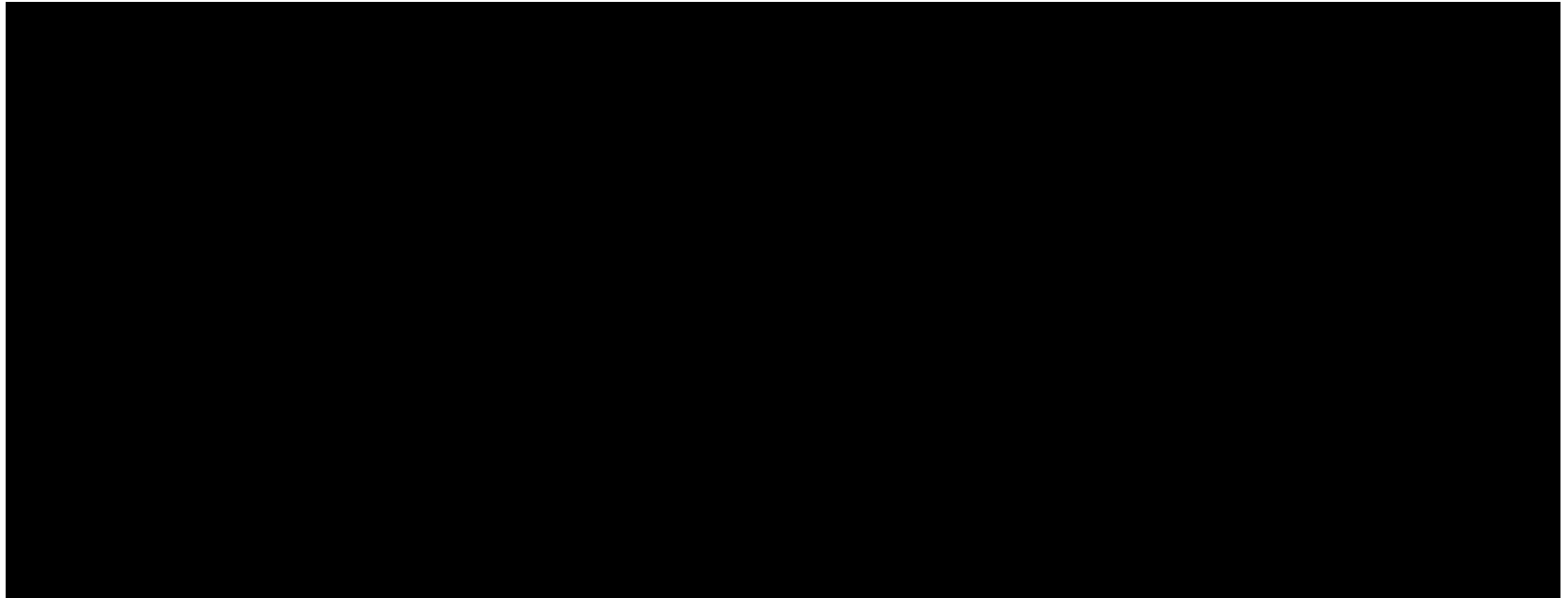


[Dmitruk & Matthaeus, Phys. Plasmas, 2006]

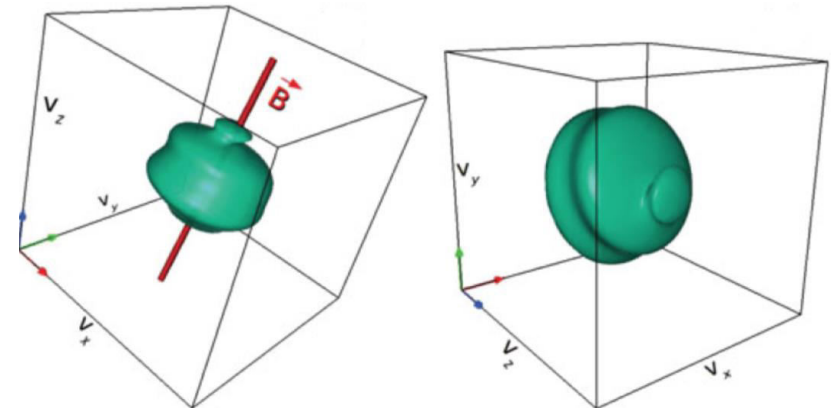


[Shibata +, Science, 2007]

Proton heating

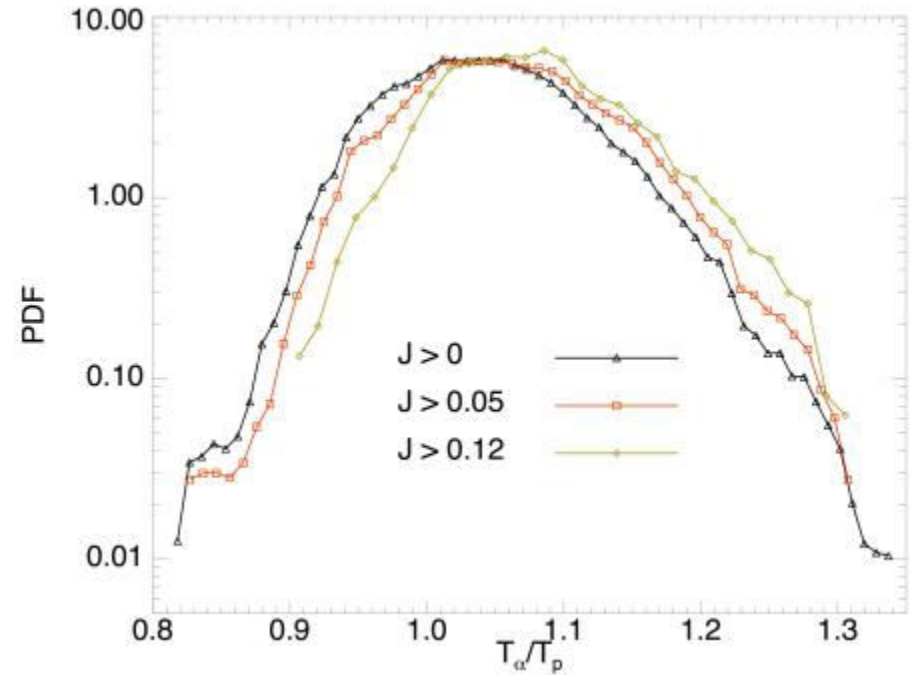
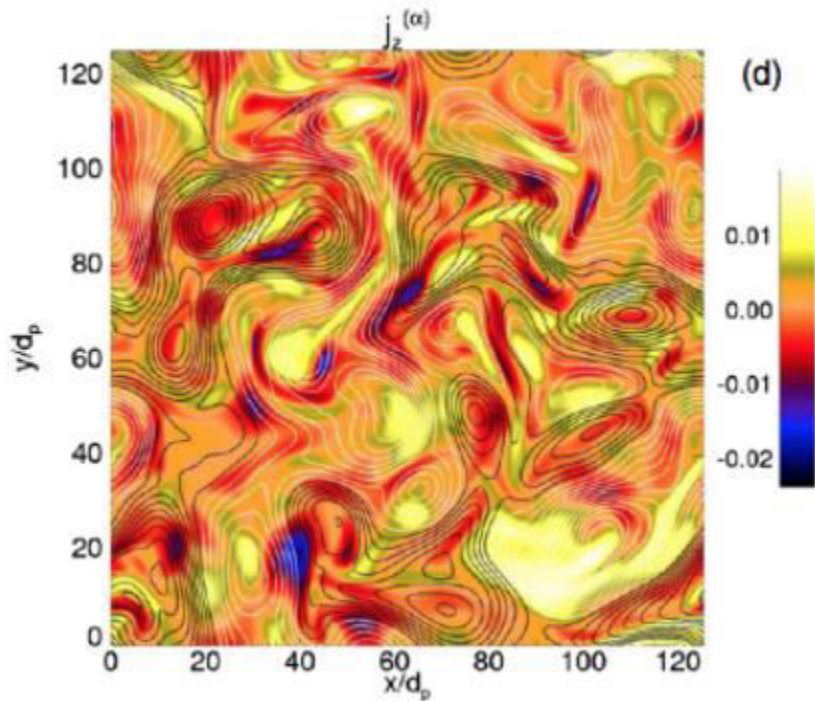


- important proton heating in regions of strong gradients having scale $\sim \rho_i$ e.g. regions of high current (current sheets)
- proton distribution function highly anisotropic



[courtesy F. Valentini]

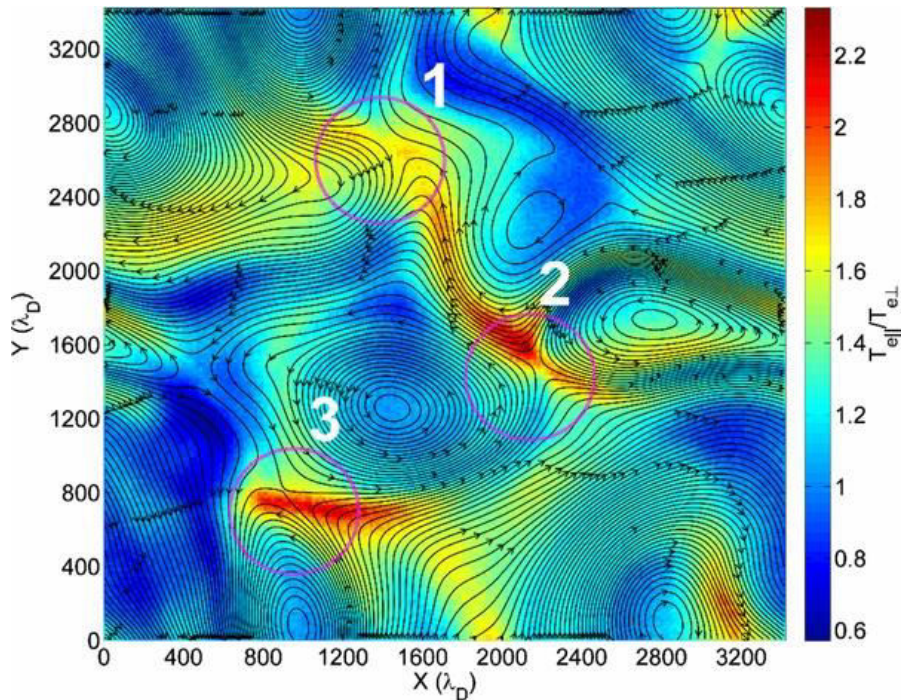
Ion heating



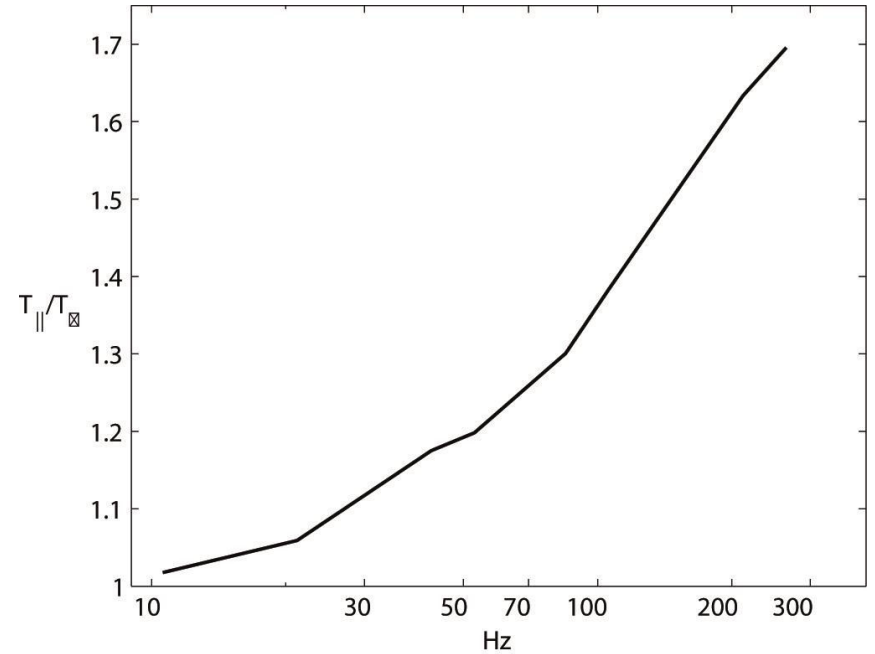
- strong ion heating in current sheets having scale $\sim \rho_i$
- increase in temperature is more efficient for alphas than for protons

[Perrone+, ApJ., 2013; Perrone+, E. Phys. J. D, 2014]

Electron heating



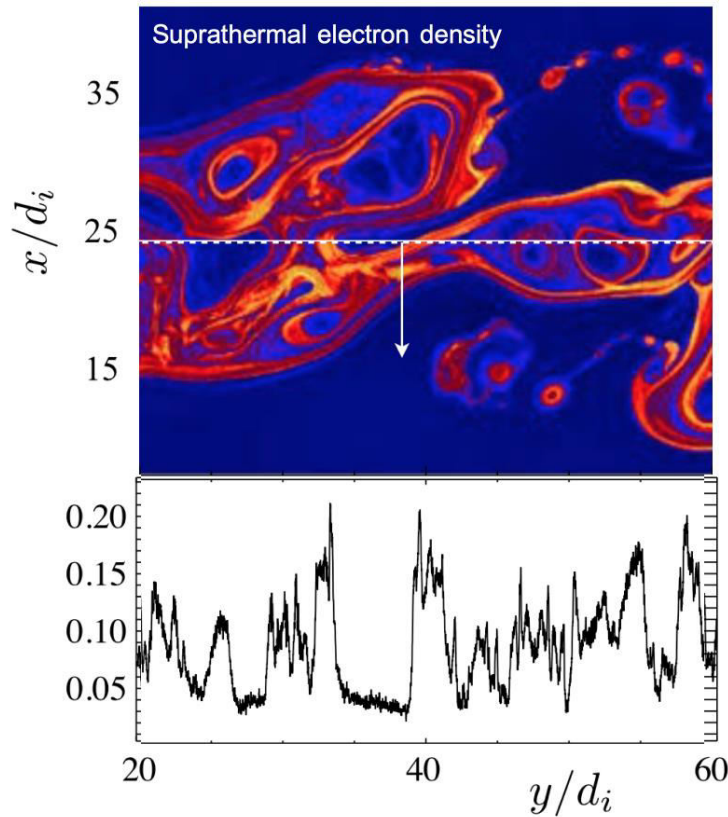
[Haynes+, ApJ,2014]



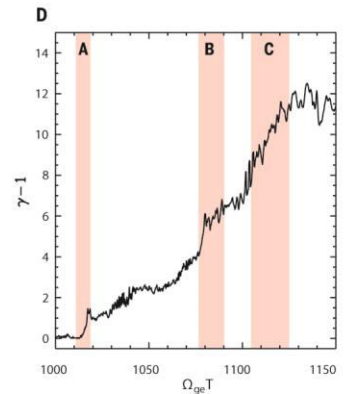
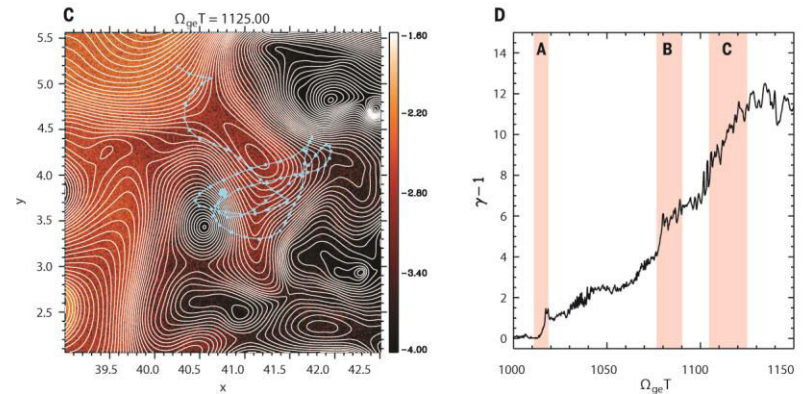
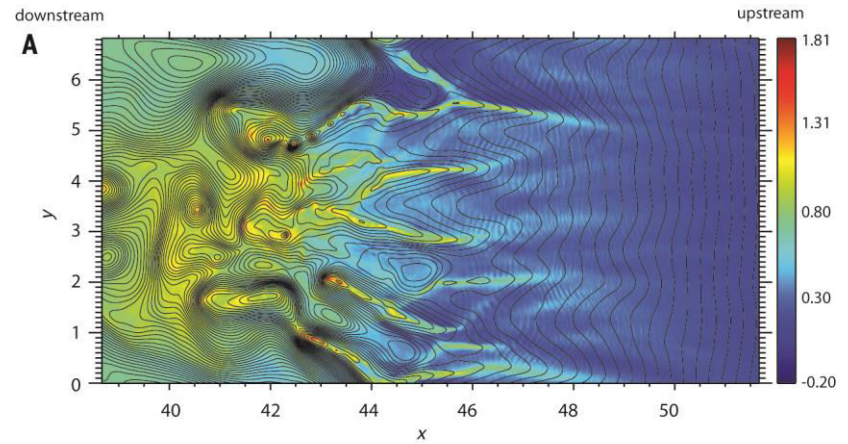
[Camporeale+, ApJ,2011]

- electron heating within thin current sheets
- anisotropy expected around reconnection sites

Non-thermal particle acceleration



[Karimabadi+, Phys. Plasmas, 2013]

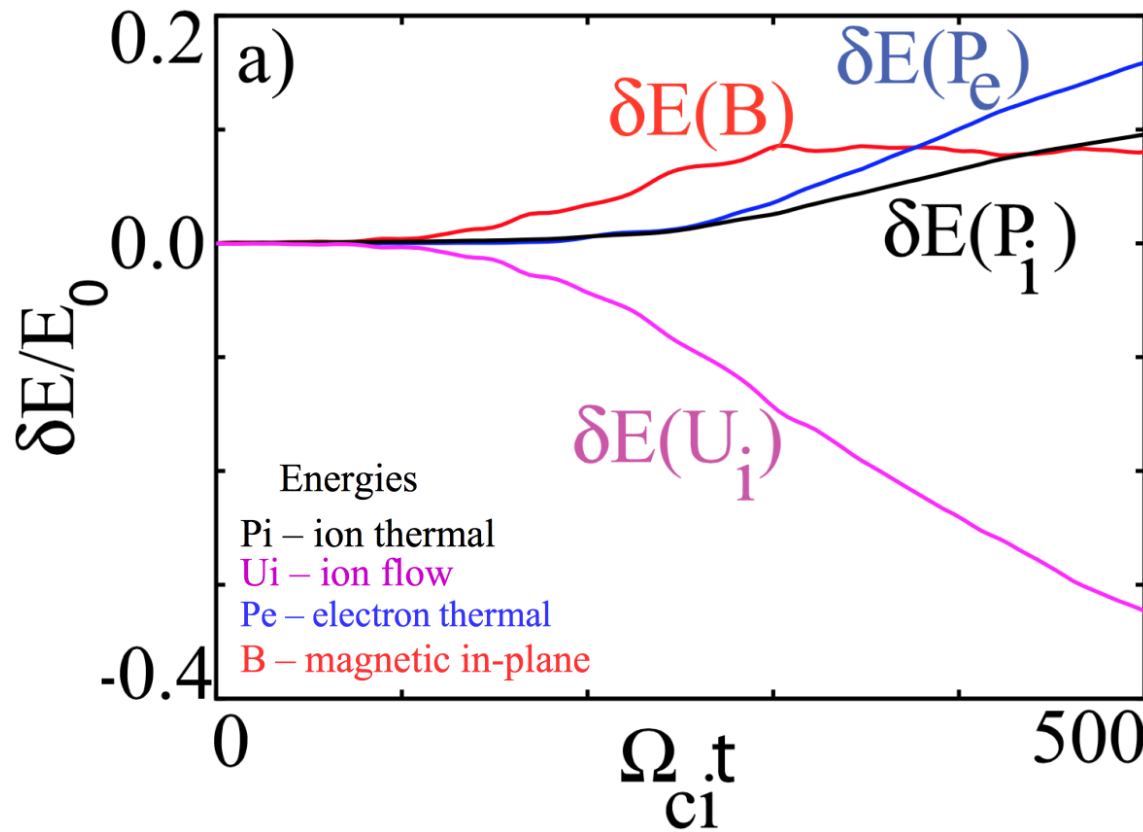


[Matsumoto+, Science, 2015]

strong non-thermal particle acceleration at kinetic scales

see also [Matthaeus+, PRL, 1984; Dmitruk+, JGR, 2006; Drake+, Nature, 2006; Hoshino, PRL, 2012, Zank+, ApJ, 2014]

Partition of dissipated energy

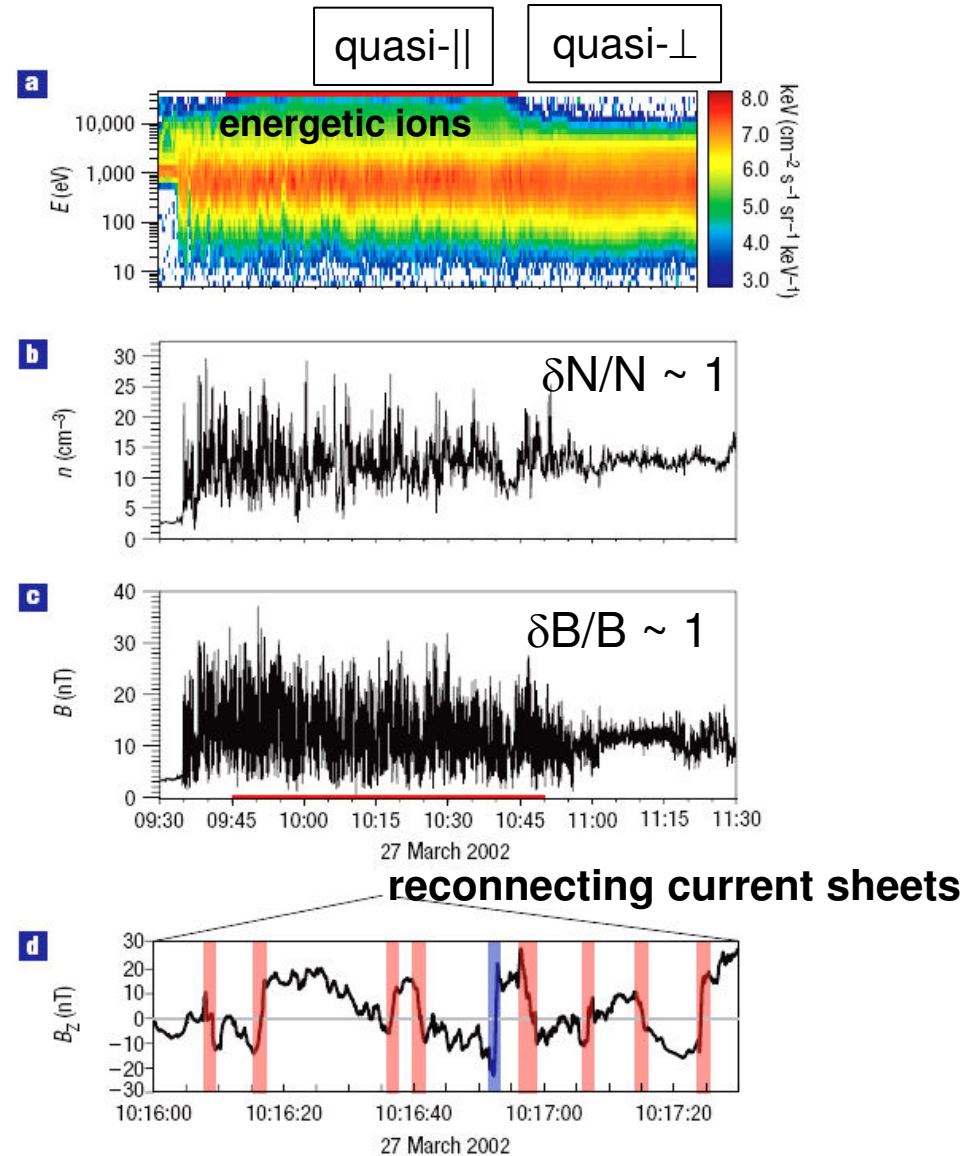
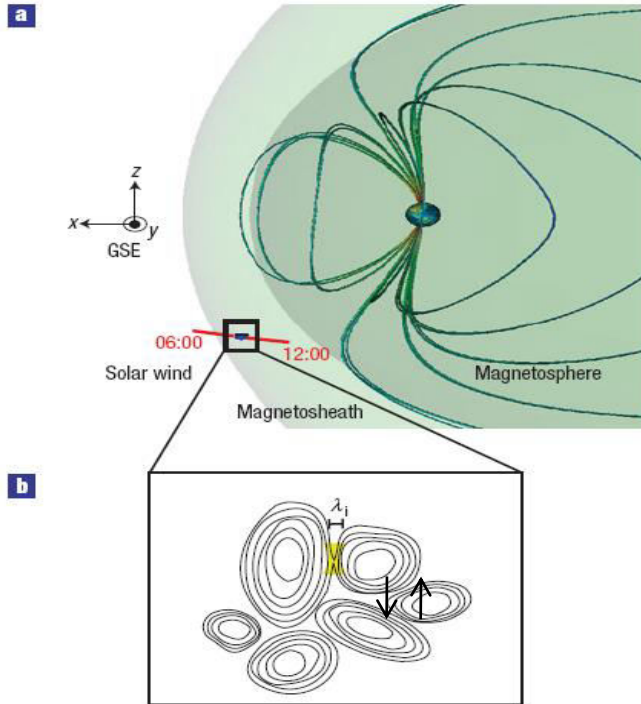


[Karimabadi+, Phys. Plasmas, 2013]

- Partition between species (electrons, protons, heavy ions)
- Partition between energy ranges (thermal, supra-thermal, energetic)

see Eastwood+, PRL, 2012 for magnetotail reconnection case

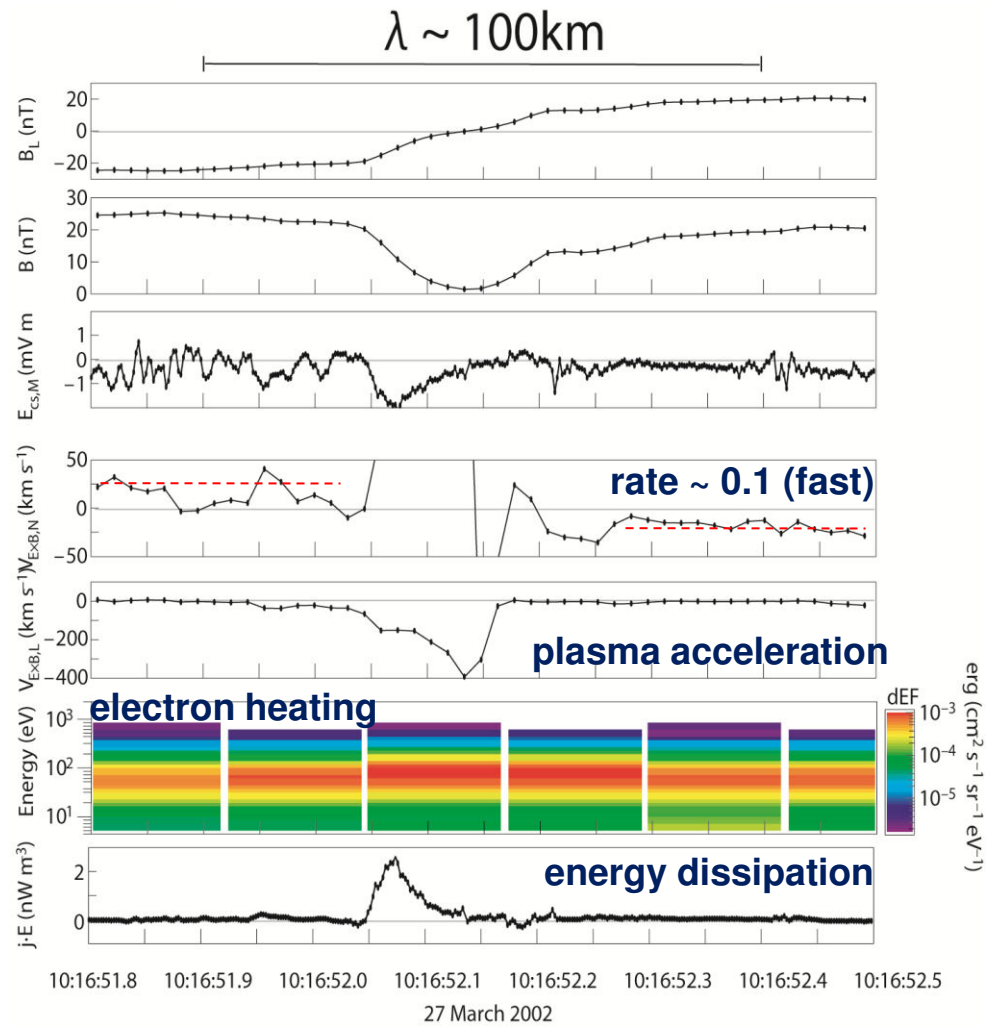
In situ evidence



[Retinò+, Nature Physics, 2007]

See also [Gosling+, ApJL, 2007; Chian+, ApJL, 2011; Perri+, PRL, 2012; Osman+, PRL, 2014]

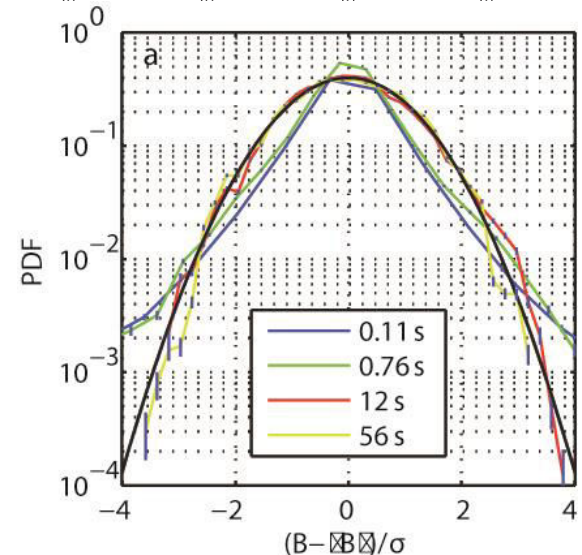
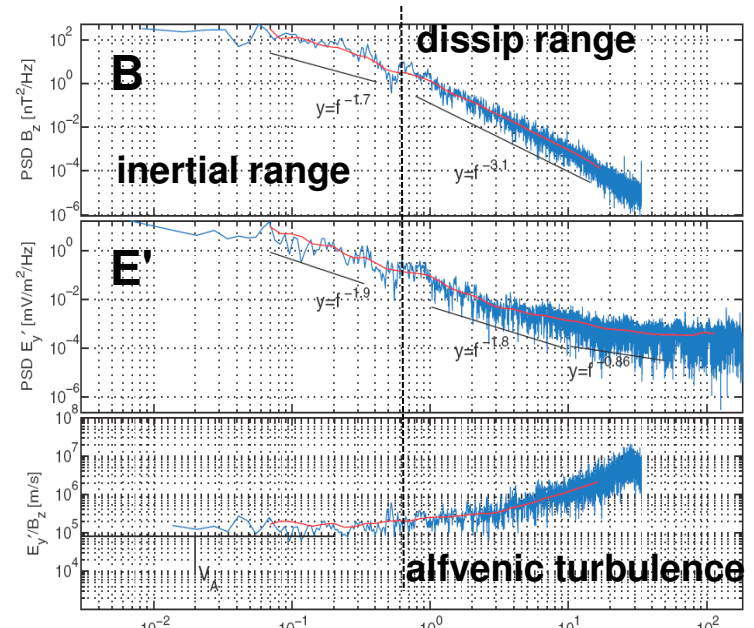
In situ evidence (II)



[Retinò+, Nature Physics, 2007]

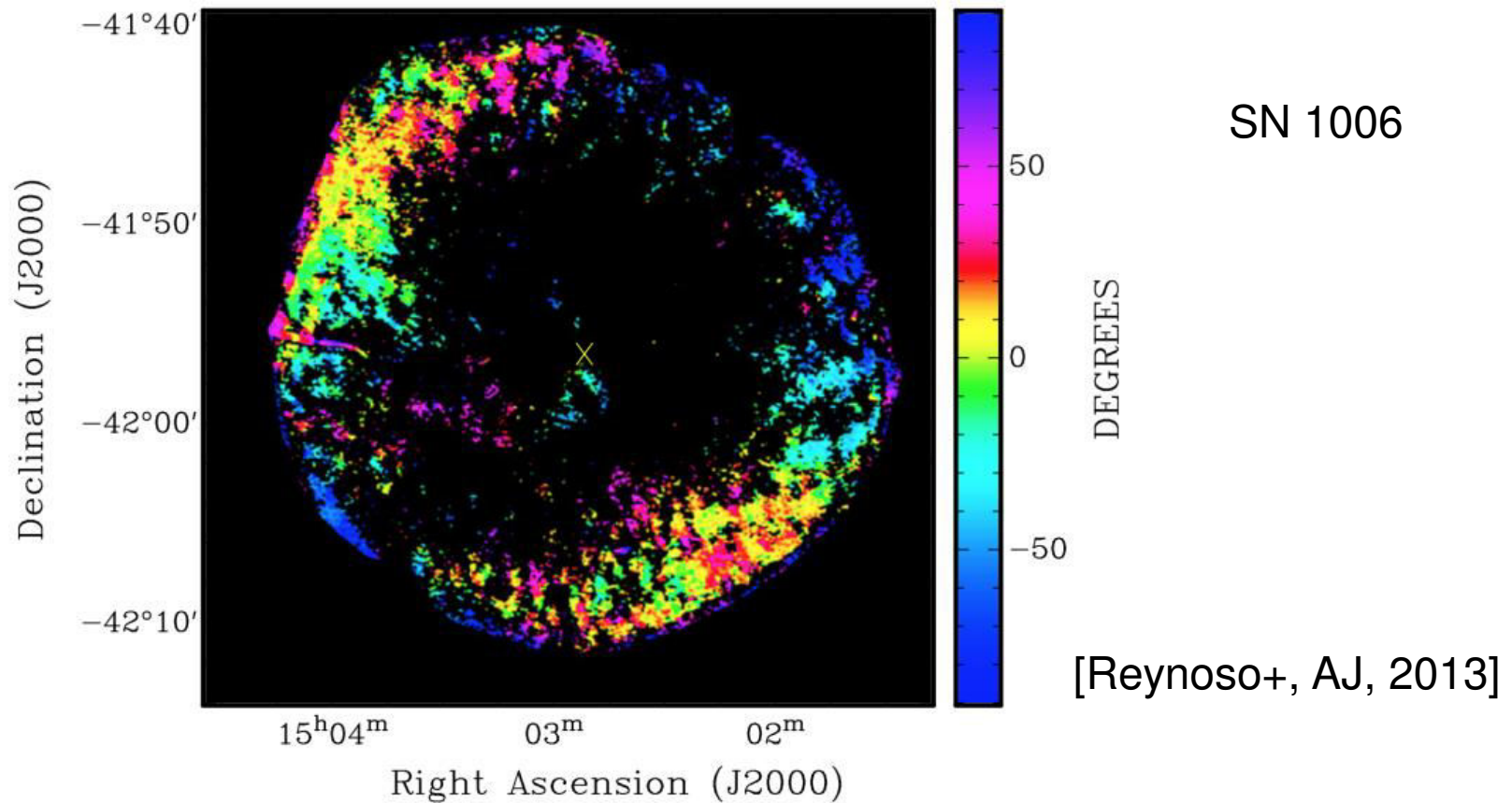
Turbulent energy dissipation in thin current sheets

- alfvenic turbulence with steeper spectrum below proton scales
- intermittency at scales $\lambda_i - \rho_i$ (close to dissip. range) related to small-scale magnetic islands and current sheets
- dissipation in thin current sheets with $d \sim \lambda_i$ comparable to wave damping around ω_{ci} -> turbulent reconnection competing mechanism for energy dissipation at ion scales



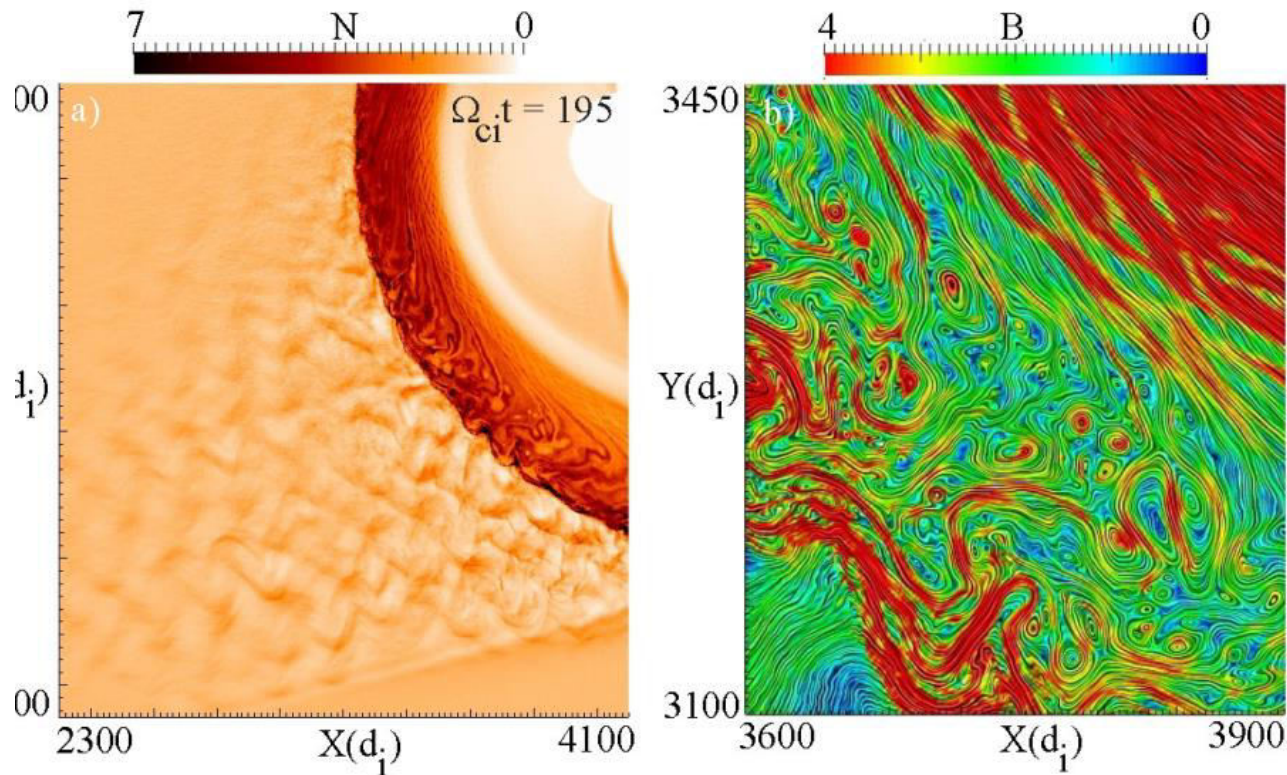
[Sundkvist +, PRL, 2007]

Quasi-parallel shock turbulence



most efficient particle acceleration and generation of magnetic turbulence is attained for quasi-par shocks while inefficient acceleration and little to no generation of magnetic turbulence obtains for the quasi perpendicular case.

Numerical simulations



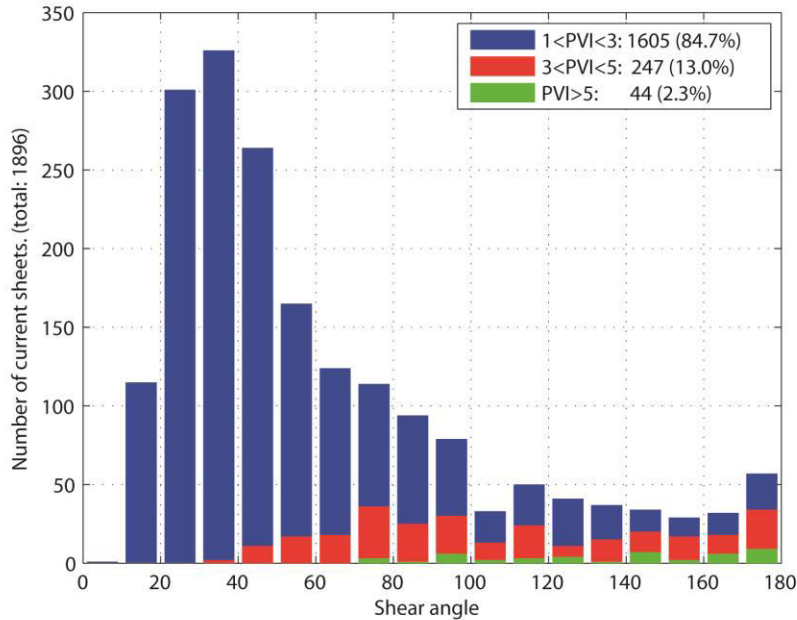
[Karimabadi+, Phys. Plasmas, 2014]

Zoo of structures such as magnetic islands, current sheets, shocklets, vortices

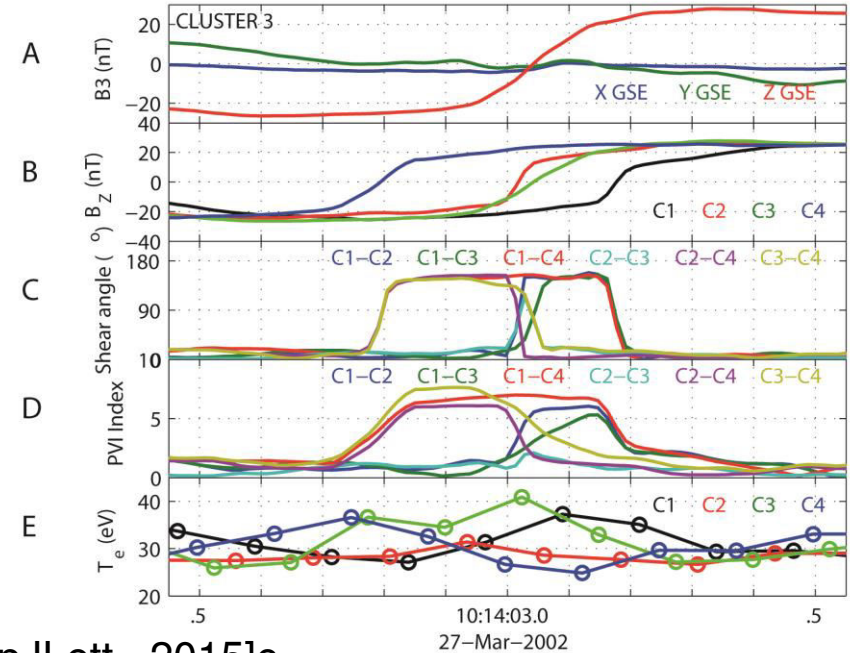
Reconnecting current sheets play important role for dissipation

Electron heating in thin current sheets (1)

PVI [Greco+, GRL, 2008] $\mathcal{I}(s, \Delta s) = \frac{|\Delta b(s, \Delta s)|}{\sqrt{\langle |\Delta b(s, \Delta s)|^2 \rangle}}$

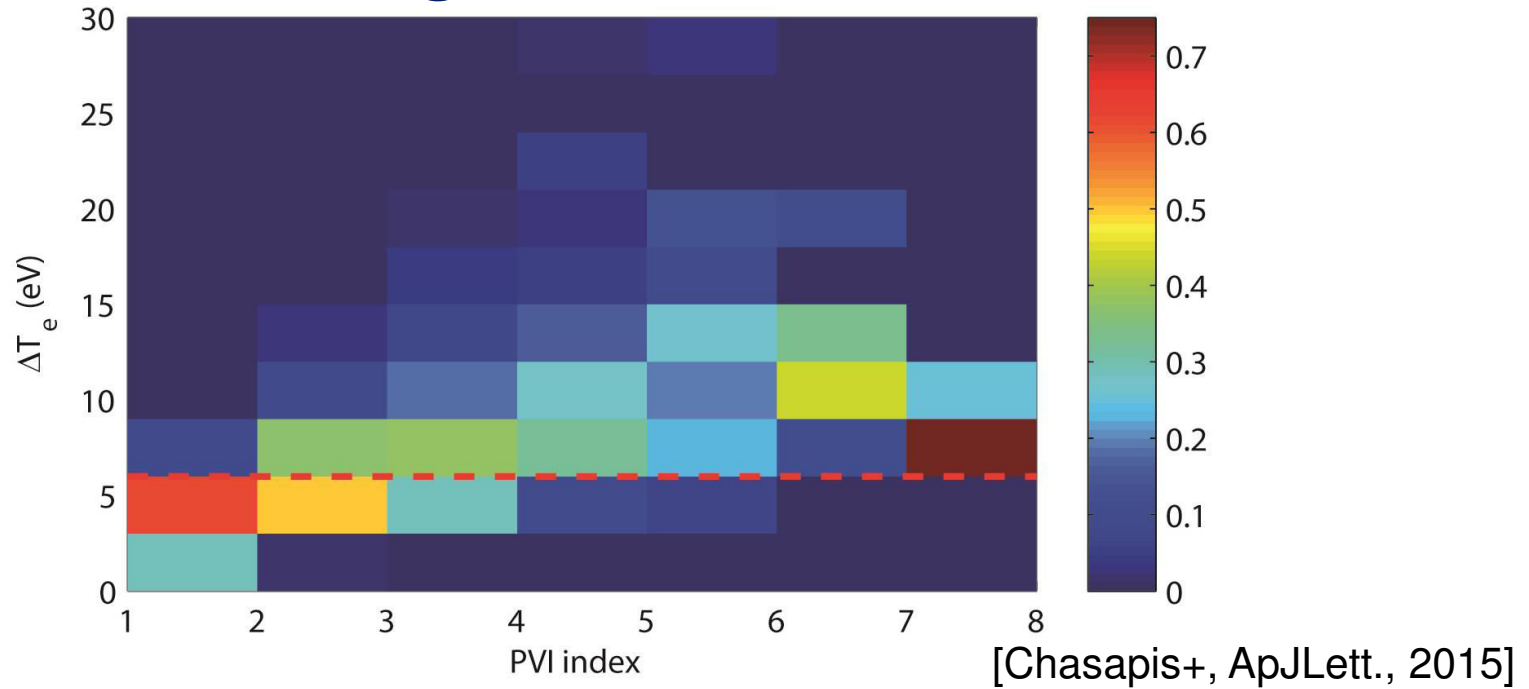


[Chasapis+, ApJLett., 2015]c



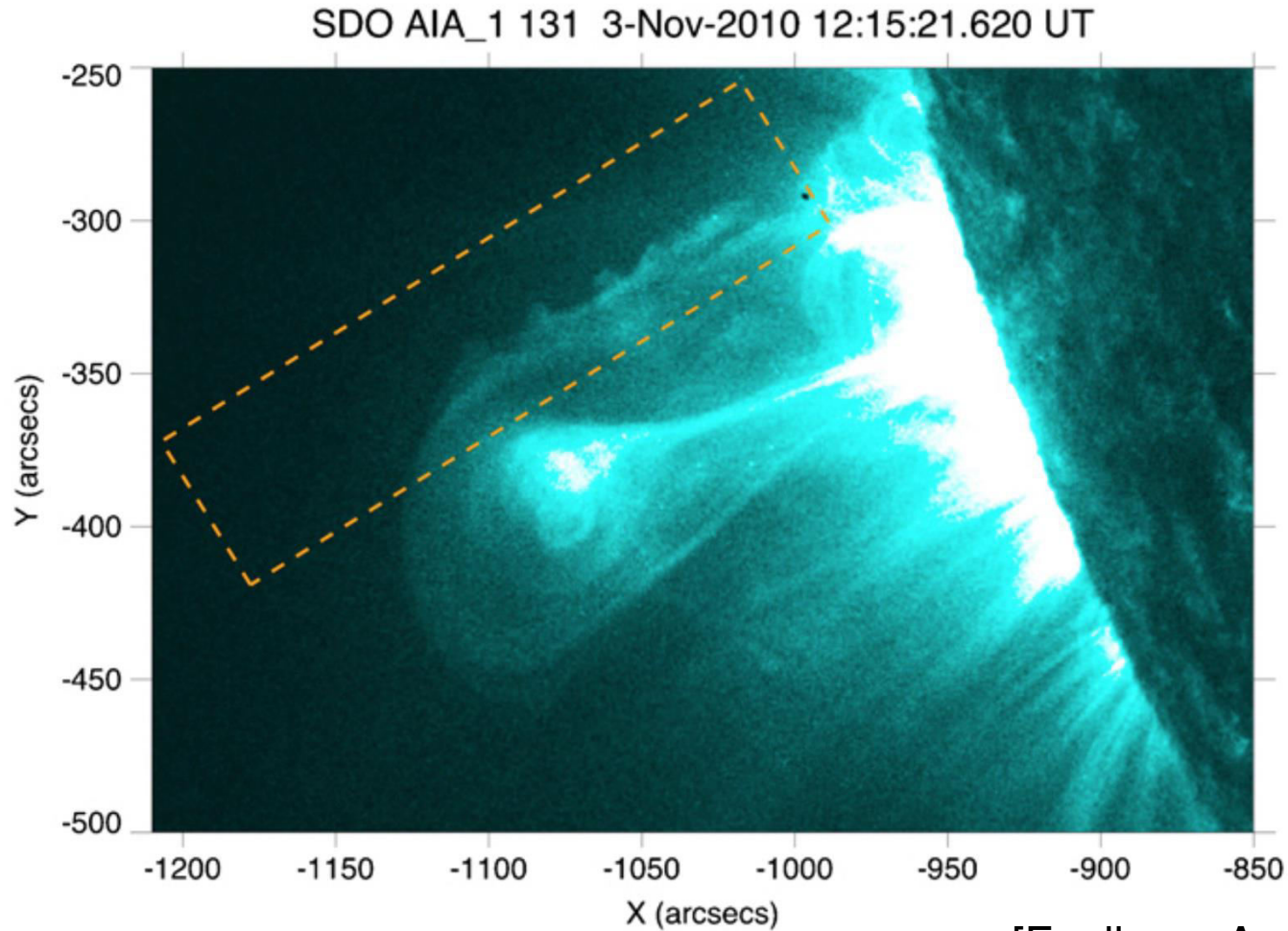
- First evidence of local electron heating in thin current sheets within turbulence. Current sheets have scales $\leq d_i$
- Two distinct populations: (1) 85% with $1 < PVI < 3$ (mostly low shear angle) (2) high PVI > 3 with relatively large shear angles. Very high PVI > 5 cases correspond to shear angles larger than 90° .

Electron heating in thin current sheets (2)



- no significant heating occurs in low PVI structures (<3)
- important heating occurs in high PVI >3 structures
- very high PVI >5 current sheets show the strongest heating and most are consistent with reconnection
- results consistent with earlier statistical studies [Osman+,ApJL, 2011]

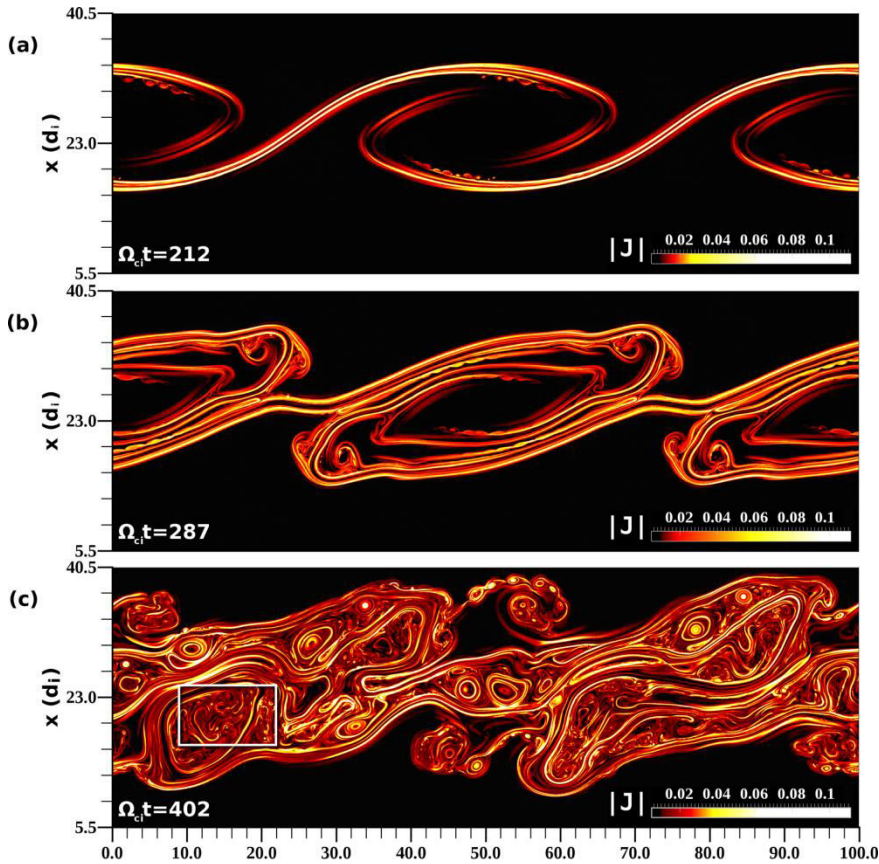
Kelvin-Helmholtz turbulence



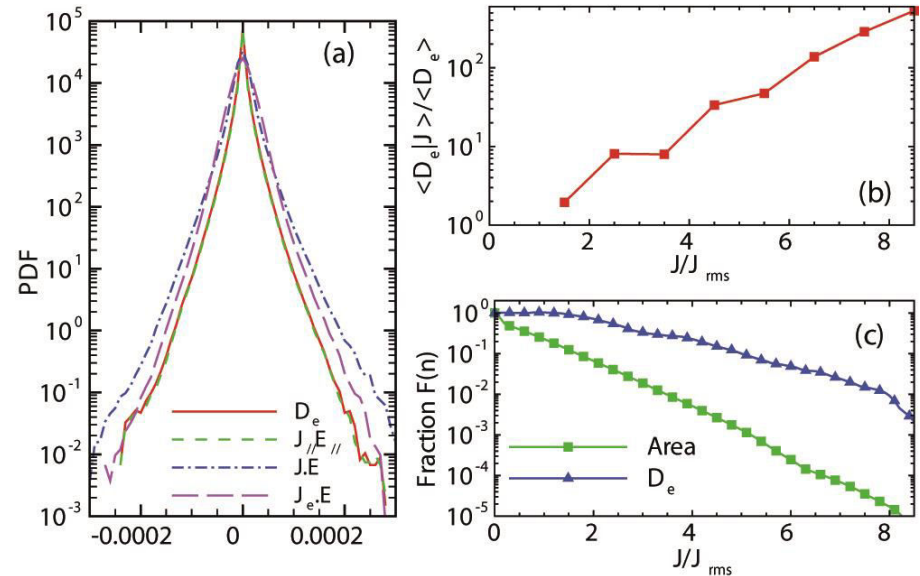
[Foullon+, ApJ, 2011]

Important energy dissipation mechanism in presence of shear flows

Numerical simulations



[Karimabadi+, Phys. Plasmas, 2013]



[Wan+, PRL, 2012]

Heating strongly
intermittent heating
at kinetic scales

Two-fluid simulations

Continuity
equation:

$$\frac{\partial n}{\partial t} + \nabla \cdot (n \mathbf{U}) = 0$$

Motion equation of motion
(protons, electrons):

$$\frac{\partial n \mathbf{U}}{\partial t} = -\nabla \cdot [n(\mathbf{U} \mathbf{U}) + P_{tot} - \mathbf{B} \mathbf{B}]$$

Adiabatic closures (for
both ions and
electrons):

$$\frac{\partial (n S_{e,i})}{\partial t} = \nabla \cdot (n S_{e,i} \mathbf{u}_{e,i}) = 0$$

$$S_{e,i} = P_{e,i} n^{-\gamma} \quad \gamma = 5/3$$

Generalized Ohm's law :

$$\mathbf{E} = -\mathbf{u}_i \wedge \mathbf{B} + \frac{\mathbf{J} \wedge \mathbf{B}}{n} - \frac{1}{n} \nabla P_e = \mathbf{u}_e \wedge \mathbf{B} - \frac{1}{n} \nabla P_e$$

- All quantities are normalized to proton quantities
- Periodic in Y (shear flow), open in X
- Numerical dissipation achieved by using filters [Lele, J. Comp. Phys., 1992]

Initial conditions

$$\mathbf{U} = A_{eq} \tanh\left(\frac{x - x_c}{L_{eq}}\right) \hat{\mathbf{e}}_y$$

$$A_{eq} = 1 \quad L_{eq} = 6 d_i$$

$$\mathbf{B} = B_0(x) \sin(\theta) \hat{\mathbf{e}}_y + B_0(x) \cos(\theta) \hat{\mathbf{e}}_z$$

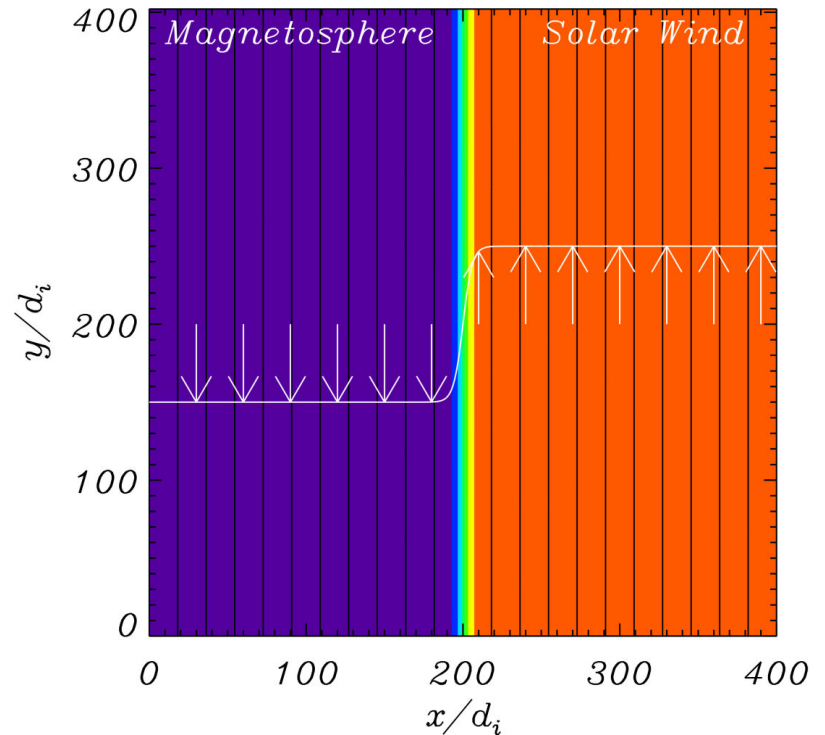
$$\theta = 0.02$$

$$B_0(x) = B_0 = 1.0$$

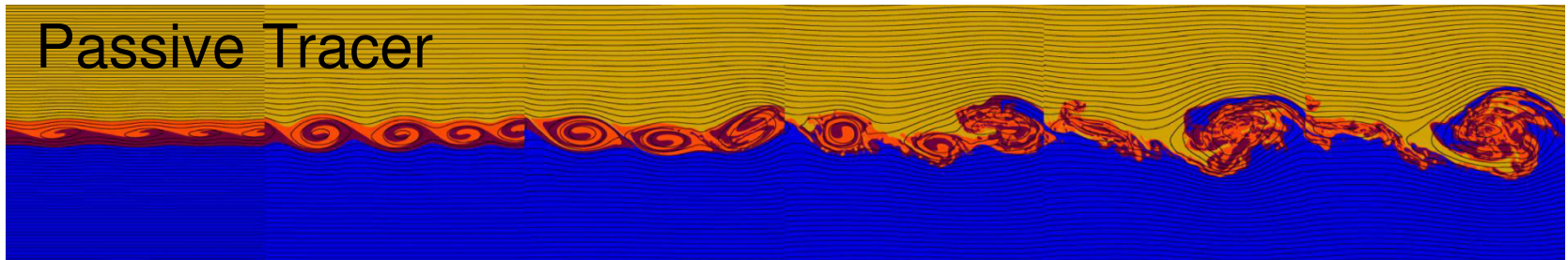
$$n(x) = n_0 = 1.0$$

$$T_i(x) = T_e(x) = 0.5$$

$$N_x \times N_y = 4096 \times 8192$$

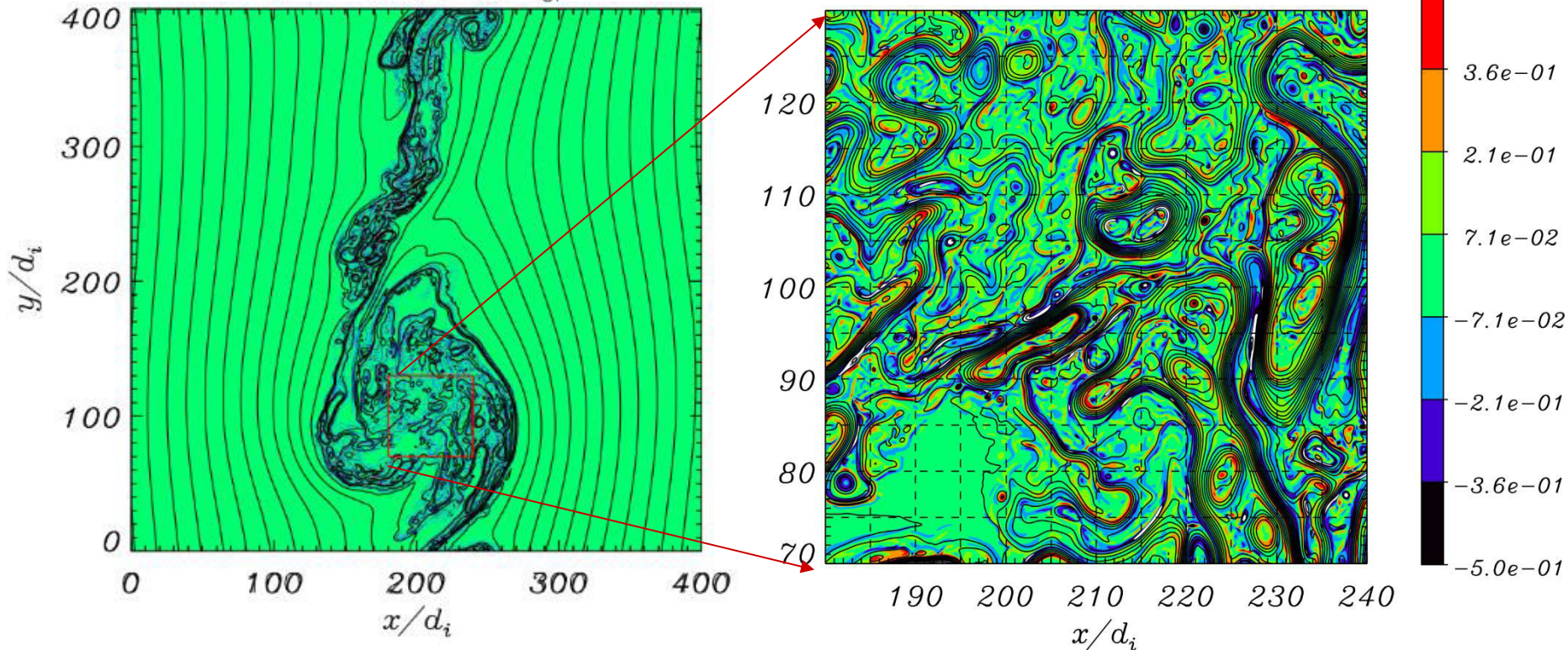


Generation of turbulence

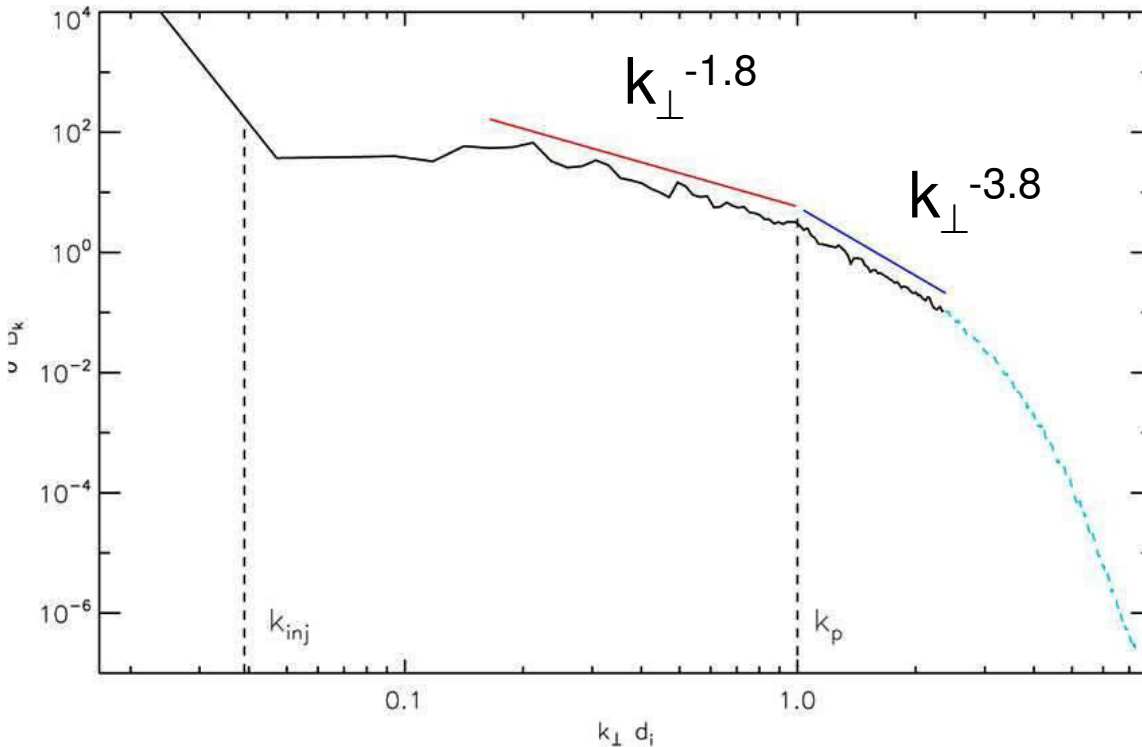


Current J_z :

$$t = 1000 \Omega_{ci}^{-1}$$

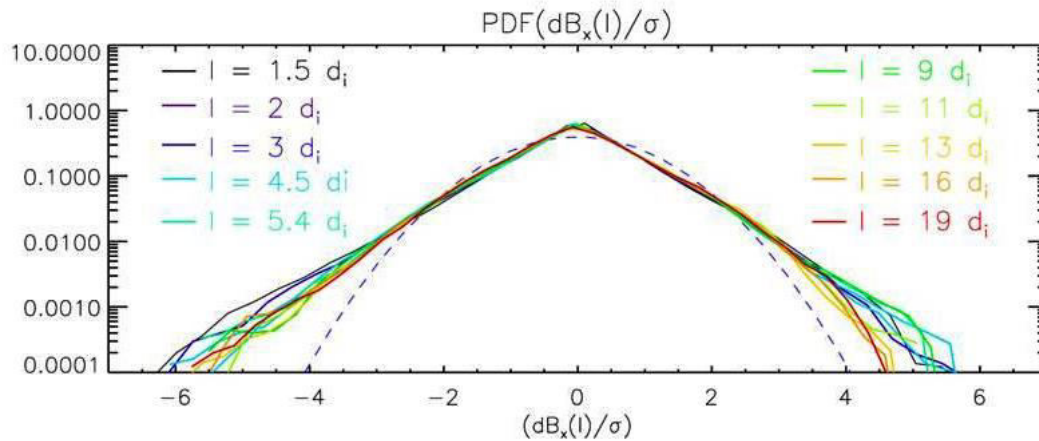


Magnetic energy spectrum



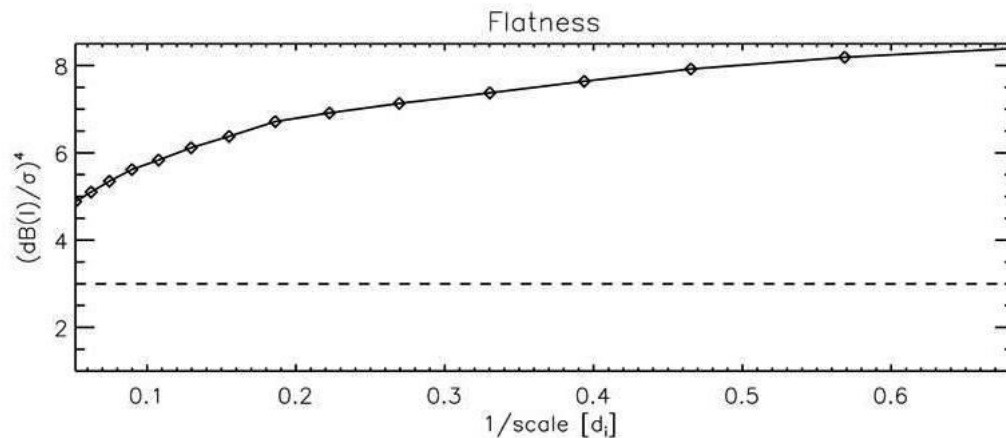
- Isotropic fluctuations at sufficiently large time $\tan^2(\theta_{\text{shebalin}}) \sim 1$
- Injection scale \sim vortex scale
- Spectrum in inertial range compatible with Kolmogorov scaling
- Steeper spectrum below proton scale. Higher slope than found in PIC simulations but compatible with space observations [Alexandrova+, SSR, 2013; Sahrroui+, ApJ, 2013]

Intermittency

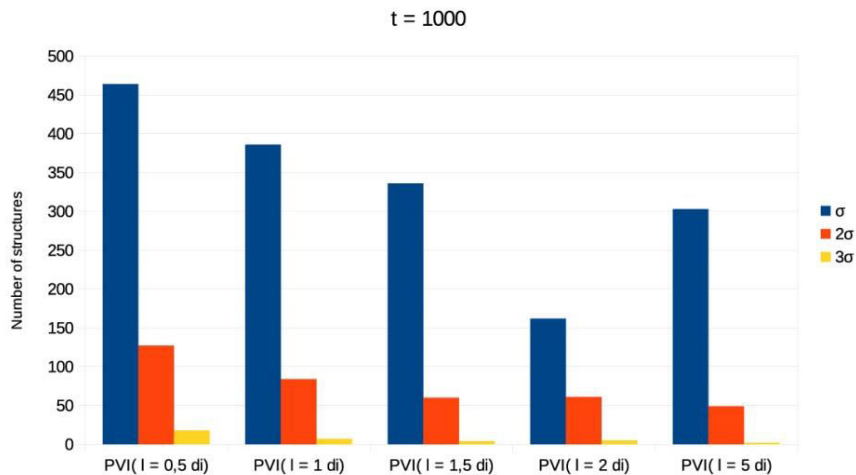
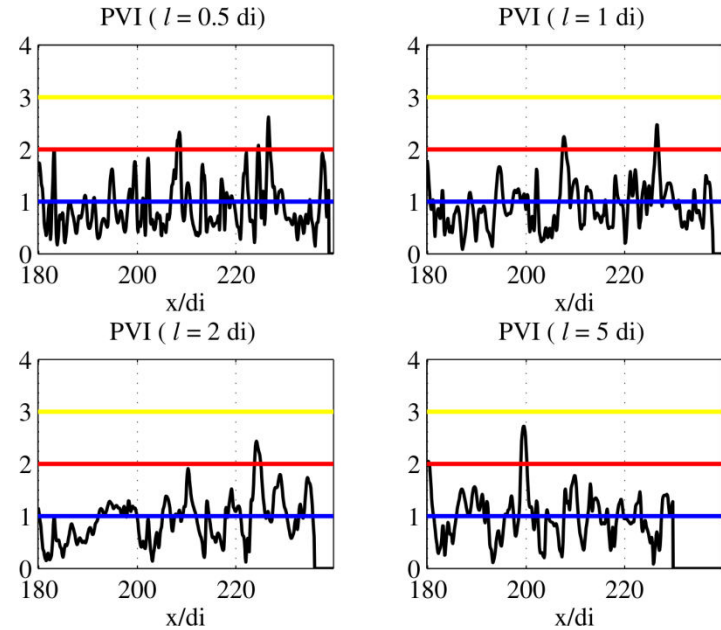
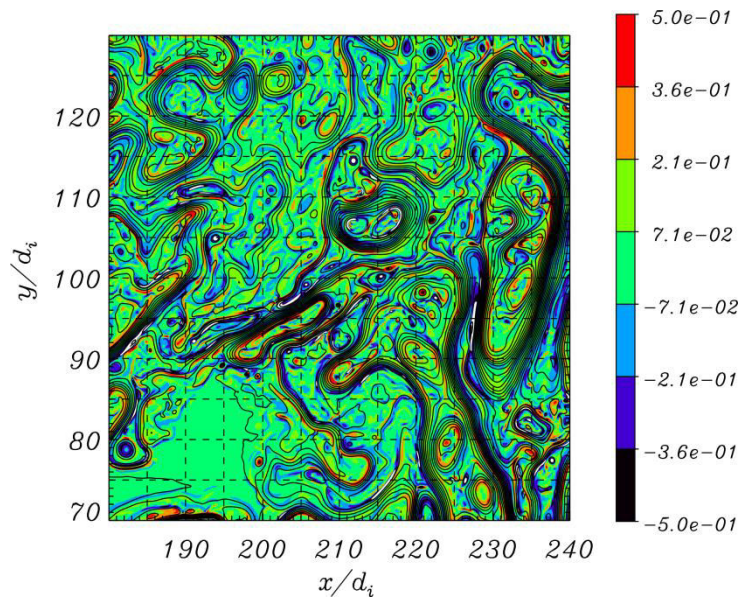


- Scale-dependent deviation from gaussianity (intermittency)

- Tails of PDF associated to small-scale coherent structures

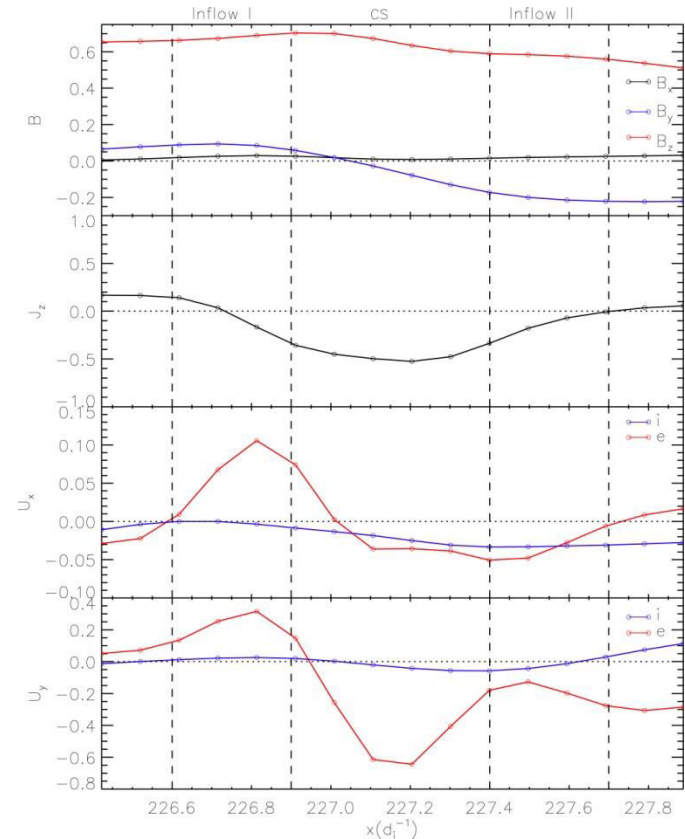
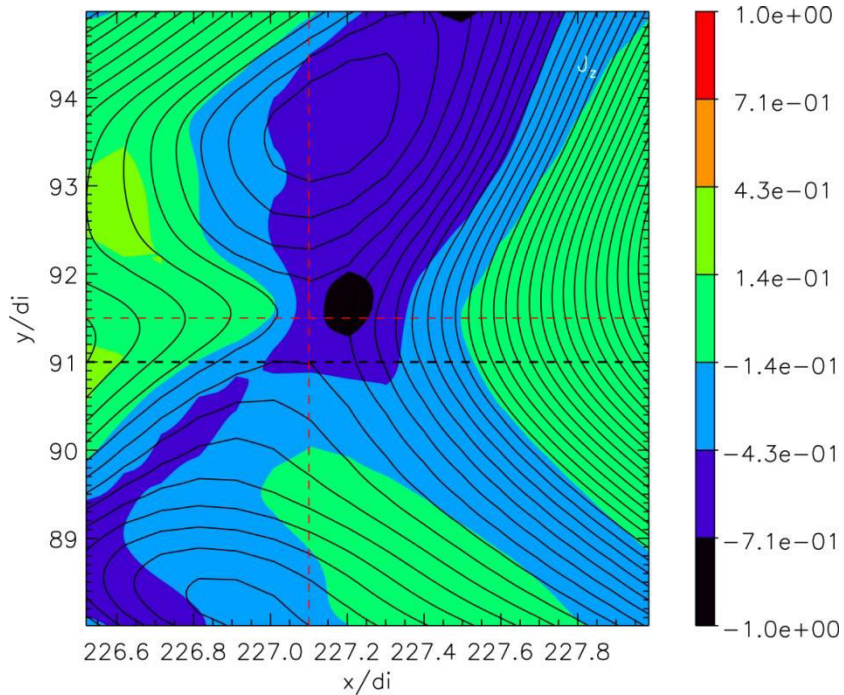


Identification of current sheets



- Current sheets identified through PVI [Greco+, JGR, 2008]
- Strongest current sheets have scale $\sim 1 \text{ di}$ and are expected to be reconnection sites [Servidio+, JGR, 2011]

Reconnection signatures



- Magnetic topology and flows consistent with ongoing reconnection with guide field $B_z/B_y \sim 5$
- Reconnection rate 0.15 – 0.3 consistent with fast reconnection. Rates are higher than expected for Hall reconnection in single sheets [Huba+, 2004; Pritchett+, 2004] but consistent with rates found in turbulent reconnection [Servidio+, PRL, 2009]. Rates possibly enhanced by turbulence.

Curent/future spacecraft data relevant for reconnection & turbulence

NASA/MMS [<http://mms.gsfc.nasa.gov>]: **2015**-- near-Earth space
Goal: the physics of reconnection at electron scales (also turbulence, particle acceleration)

ESA/SolarOrbiter [<http://sci.esa.int/solarorbiter>]: **2018**-- near-Sun corona (62 Rs). **Goals:** solar wind acceleration, coronal heating, production of energetic particles (turbulence, reconnection)

NASA/SolarProbePlus [<http://solarprobe.gsfc.nasa.gov>]: **2018** -- near-Sun corona (8.5 Rs). Goals: similar to SolarOrbiter

ESA/THOR: mission concept submitted to ESA M4 call fully dedicated to study turbulent energy dissipation at kinetic scales (under evaluation)